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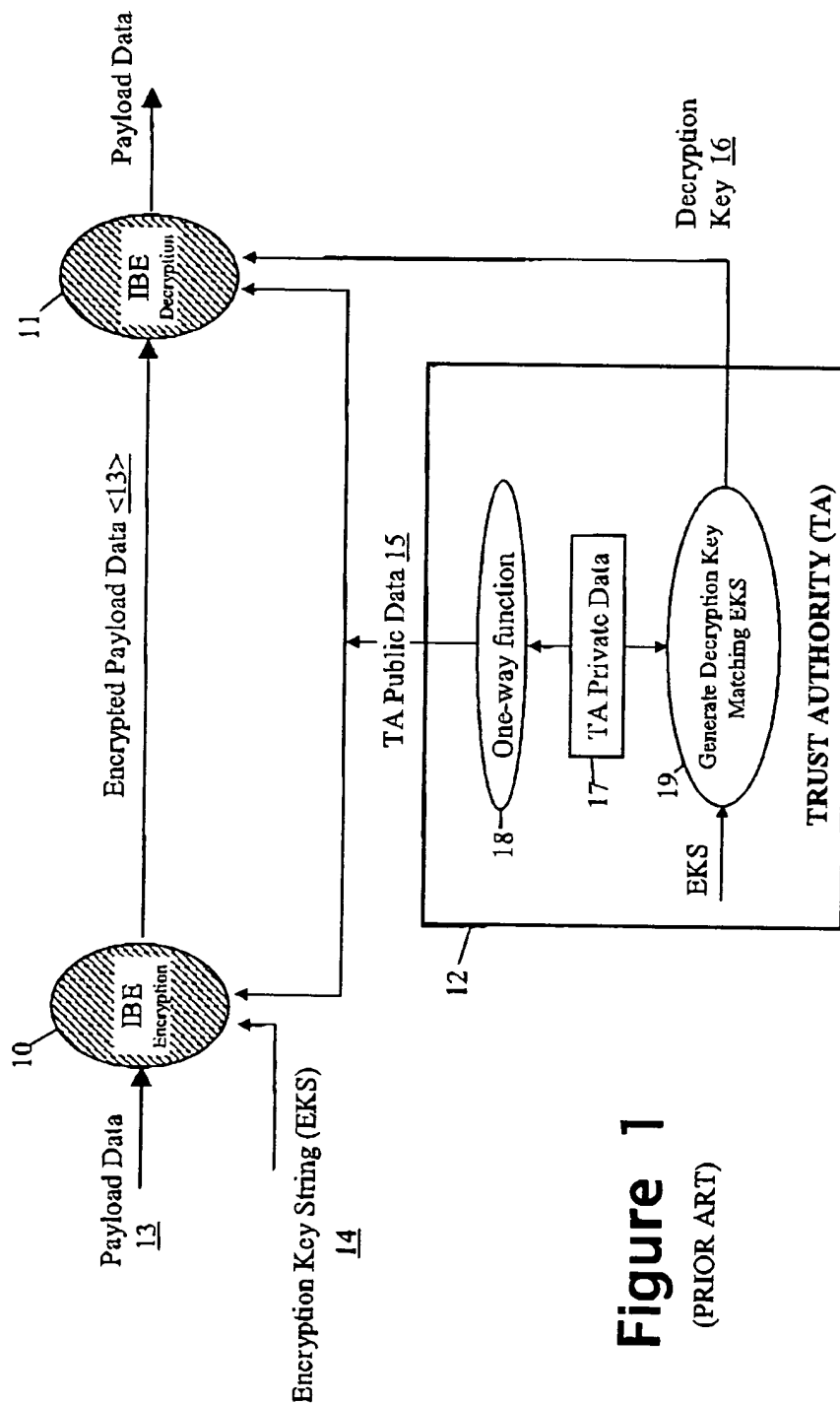
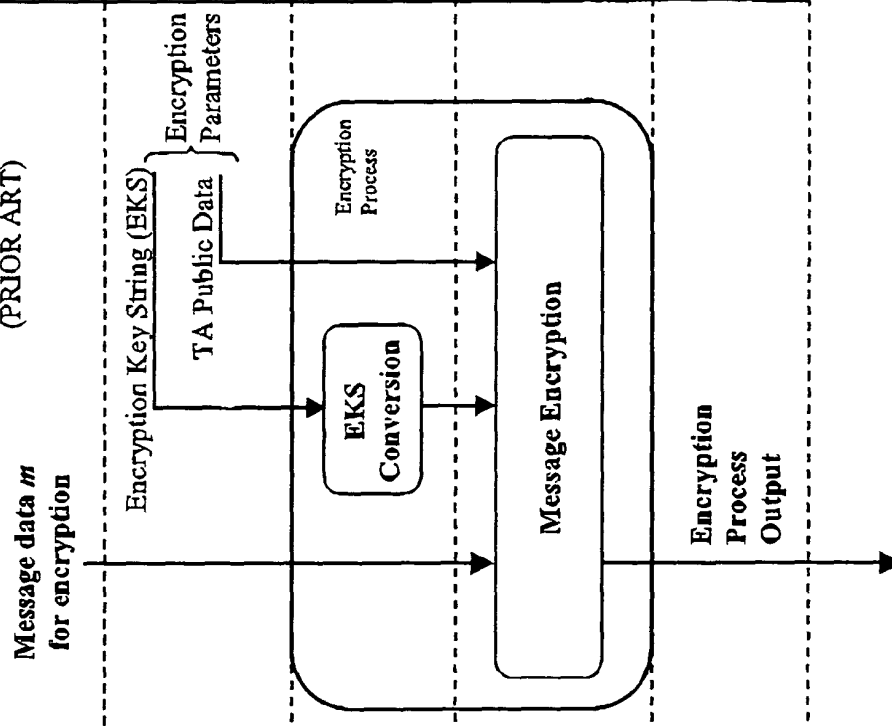


Figure 1
(PRIOR ART)

Figure 2
(PRIOR ART)



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Identifier-Based Method		
Quadratic Residuosity	Bilinear Mappings $\varphi: G_1 \times G_1 \rightarrow G_2$	RSA Based
EKS Modulus N	EKS (P, sP) where P is in G_1 s is secret of TA	EKS Modulus n
$K = \#(\text{EKS})$	"Map-to-point" hash $Q_{ID} = H_I(\text{EKS})$ where $H_I: \{0,1\}^* \rightarrow G_1$	$c = \#(\text{EKS}) \bmod n$
For each bit: $s_+ \equiv (t_+ + K/t_+) \bmod N$ $s_- \equiv (t_- - K/t_-) \bmod N$	$V = m \oplus H_2(\varphi(sP, rQ_{ID}))$ where: $H_2: G_2 \rightarrow \{0,1\}^*$ r is a random number	$m^e \bmod n$
For each bit: s_+, s_- (knowledge of EKS and TA concerned also needs to be available)	$V, U (= rP)$	$m^e \bmod n$

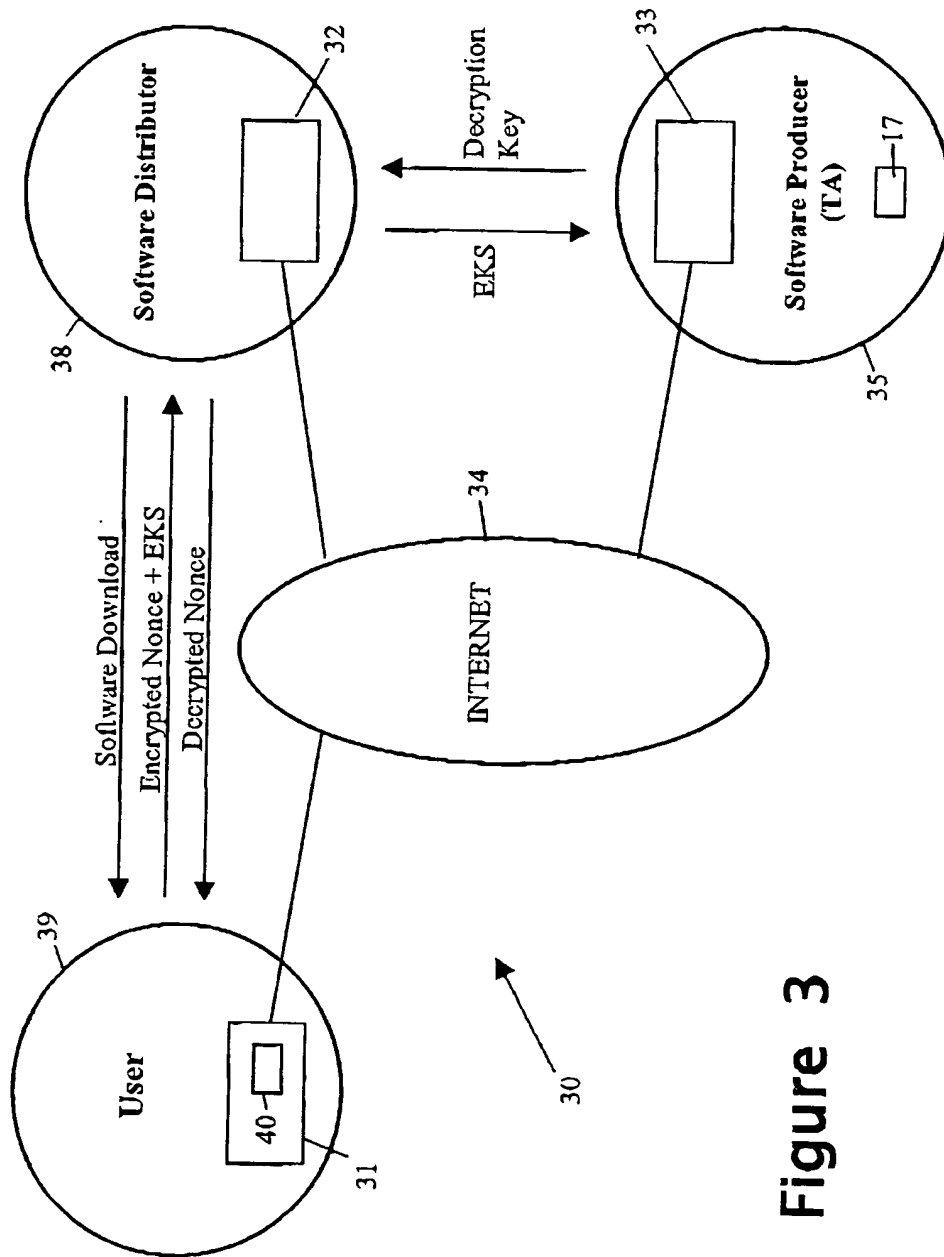


Figure 3